

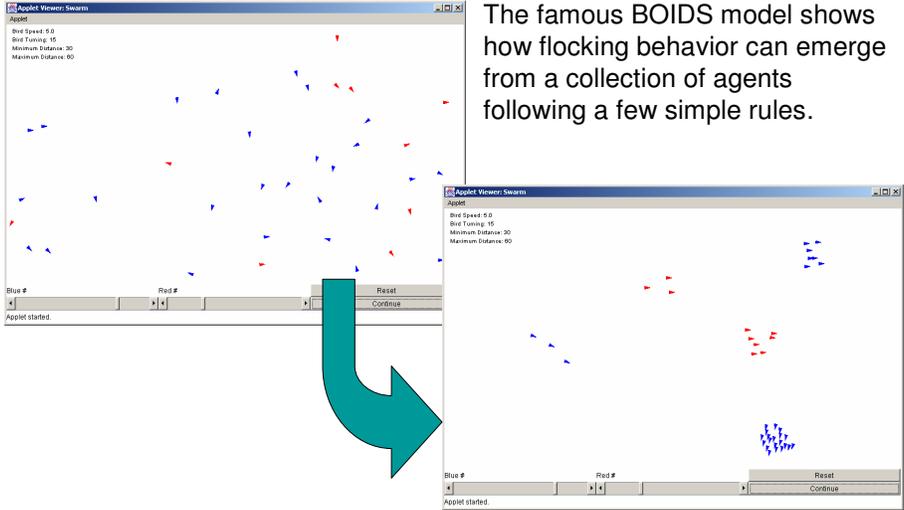
# Introduction to Artificial Life and Cellular Automata

CS405

## Cellular Automata

- A cellular automata is a family of simple, finite-state machines that exhibit interesting, **emergent** behaviors through their interactions in a population

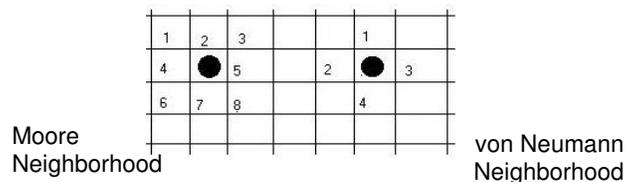
# Emergent Behavior



The famous BOIDS model shows how flocking behavior can emerge from a collection of agents following a few simple rules.

# Game of Life

- The best known CA is John Horton Conway's "Game of Life".
  - Invented 1970 in Cambridge.
- Objective: To make a 'game' as unpredictable as possible with the simplest possible rules.
- 2-dimensional grid of squares on a (possibly infinite) plane. Each square can be blank (white) or occupied (black).



## Game of Life

- The grid is populated with some initial dots
- Every time tick all squares are updated simultaneously, according to a few simple rules, depending on the local situation.
  - For any one cell, the cell changes based on the current values of itself and 8 immediate neighbors

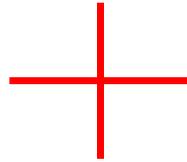
## Game of Life Update Rules

- Stay the same if you have exactly two “On” (black) neighbors
- Switch or stay “On” (black) if you have exactly three “On” neighbors
- Otherwise switch to “Off” (white) on the next time step

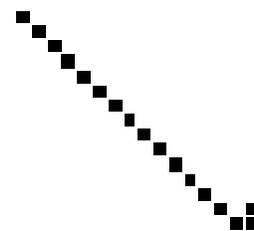
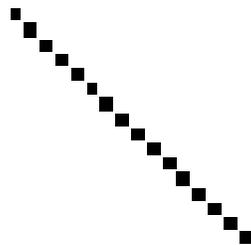
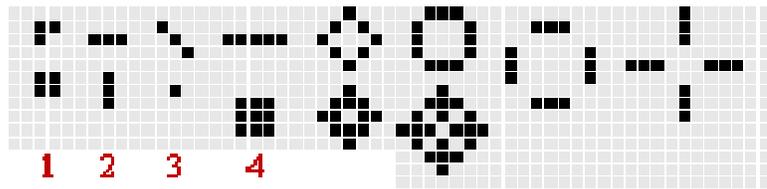
Alternative (equivalent) formulation of Game of Life rules:

0,1 nbrs = starve, die	2 nbrs = stay alive
3 nbrs = new birth	4+ nbrs = stifle, die

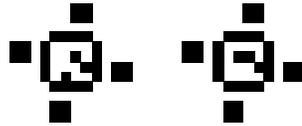
# Glider



# Sequences



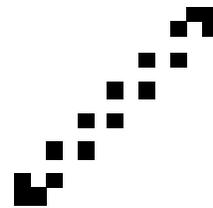
# More



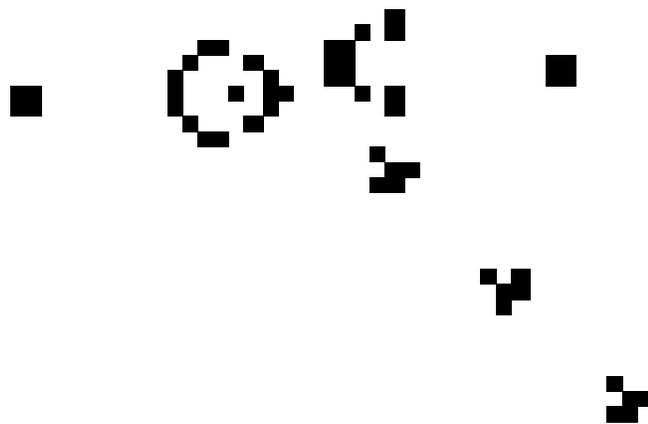
Sequence leading to  
Blinkers

Clock

Barber's pole



# A Glider Gun



## More Formal Cellular Automaton

- A set  $I$  called the Input Alphabet
  - A set  $S$  of states that the automaton can be in
  - A designated state  $s_0$ , the initial state
  - A next state function:  $N: S \times I \rightarrow S$ , that assigns a next state to each ordered pair consisting of a current state and a current input
- 
- A lattice (e.g. grid)
  - of finite automata (e.g. cells)
  - each in a finite state (e.g. white or black)

## Game of Life - implications

Typical Artificial Life, or Non-Symbolic AI,  
computational paradigm:

- bottom-up
- parallel
- locally-determined

Complex behaviour from (... emergent from ...)  
simple rules.

Gliders, blocks, traffic lights, blinkers, glider-guns,  
eaters, puffer-trains ...

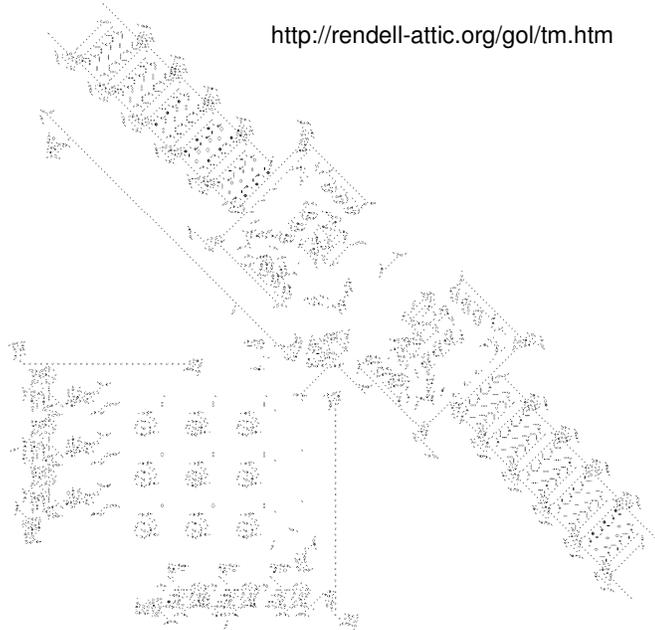
## Game of Life as a Computer ?

Higher-level units in GoL can in principle be assembled into complex 'machines' -- even into a full computer, or Universal Turing Machine.

'Computer memory' held as 'bits' denoted by 'blocks' laid out in a row stretching out as a potentially infinite 'tape'. Bits can be turned on/off by well-aimed gliders.

This is a Turing Machine implemented in Conway's Game of Life.

<http://rendell-attic.org/gol/tm.htm>



## Self-Reproducing CA's

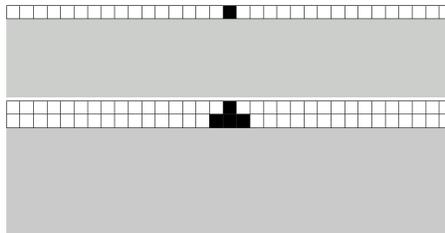
- von Neumann saw CAs as a good framework for studying the necessary and sufficient conditions for self-replication of structures.
- von Neumann's approach: self-representation of abstract structures, in the sense that gliders are abstract structures.
- His CA had 29 possible states for each cell (compare with Game of Life 2, black and white) and his minimum self-rep structure had some 200,000 cells.

## Self-Representation and DNA

- This was early 1950s, pre-discovery of DNA, but von Neumann's machine had clear analogue of DNA which is:
  - Interpreted to determine pattern of 'body'
  - Contains instructions to copy itself directly
- Simplest general logical form of reproduction (?)
- How simple can you get?

## One-Dimensional CA's

- Game of Life is 2-D. Many simpler 1-D CAs have been studied
- For a given rule-set, and a given starting setup, the deterministic evolution of a CA with one state (on/off) can be pictured as successive lines of colored squares, successive lines under each other



## Wolfram's CA classes 1,2

From observation, initially of 1-D CA spacetime patterns, Wolfram noticed 4 different classes of rule-sets. Any particular rule-set falls into one of these:-:

**CLASS 1:** From any starting setup, pattern converges to all blank -- **fixed attractor**

**CLASS 2:** From any start, goes to a limit cycle, repeats same sequence of patterns for ever. -- **cyclic attractors**

## Wolfram's CA classes 3,4

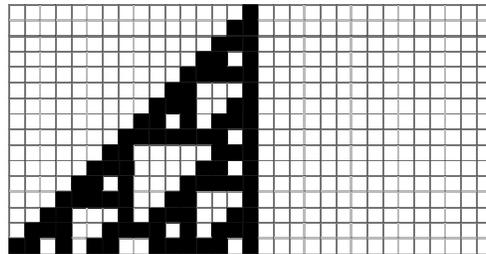
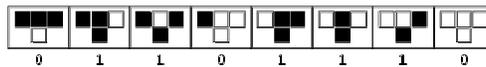
**CLASS 3:** Turbulent mess, chaos, no patterns to be seen.

**CLASS 4:** From any start, patterns emerge and continue without repetition for a very long time (could only be 'forever' in infinite grid)

Classes 1 and 2 are boring, Class 3 is messy, Class 4 is '**At the Edge of Chaos**' - at the transition between order and chaos -- where Game of Life is!.

## Wolfram Rule 110

*rule 110*

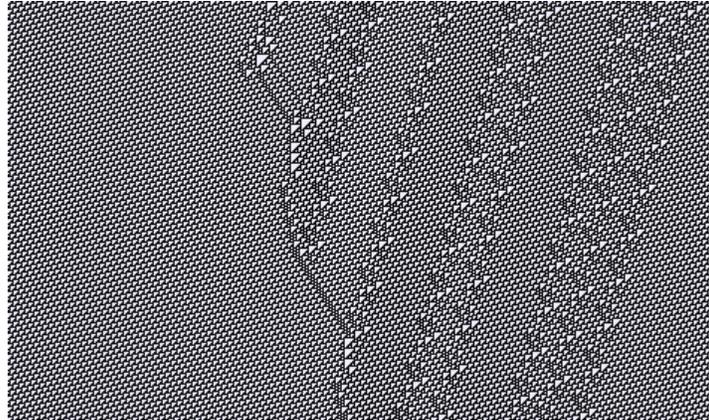


Proven to be Turing Complete - Rich enough for universal computation

interesting result because Rule 110 is an extremely simple system, simple enough to suggest that naturally occurring physical systems may also be capable of universality

## Rule 110 Example

- Requires potentially infinite dimensions for general computation



## A-Life Applications?

- Tool for mathematically studying emergence from simple, inanimate components
  - “atoms” of an a-life system are defined and physical interactions emerge
- Modeling biological entities, chemistry, pharmacology
  - Chemical multi-cellular morphogenesis

## Chemical Morphogenesis Project - 2004

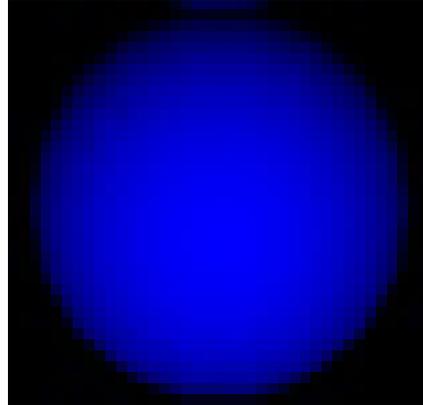
- Three subteams
  - Computer Science: Dr. Mock, Nick Armstrong, and Heather Koyuk
  - Biology: Dr. Gerry Davis
  - Chemistry: Dr. Jerzy Maselko, Heidi Geri
- Three subprojects
  - Implement a 3-D simulation and theoretical model
  - Relate the chemical system to biological systems
  - Implement the chemical system in the laboratory

## The Project

- Create a computer simulation capable of modeling multi-cellular chemical and biological growth
- Should model biological and chemical systems as accurately as possible
  - Cells as spherical objects
  - Cells bud or grow in spherical (non-discrete) directions
  - Use both context-free and context-sensitive growth
    - Easy to write a program that 'simulates' growth
    - Harder to use grammars to create a specific unique pattern

## The Agents

- 3D spheres, uniform radii
- Magnitude (state)
- Spherical growth vectors
- Current model:
  - Sessile, rigid
  - Die/become dormant after budding
- Not limited to the above!



## The Rules and Actions

- Rules comprise a grammar
- Context-free
  - Unaware of neighbors; behavior based on state
- Context-sensitive
  - Behavior based on state & state of neighbors
- Actions:
  - Implemented: Budding
  - Working on: Cell Division
  - Others: Motility, growth, non-uniform shapes, etc.
- Dynamic rule creation (via user interface)

# Dynamic Rules Creation

The screenshot shows a software window for creating dynamic rules. It features a conditional rule structure:

If    Then grow:

(theta)	(phi)	(magnitude)	(radius)	
<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>	(Child 1)
<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>	(Child 2)
<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>	(Child 3)

Else grow:

(theta)	(phi)	(magnitude)	(radius)	
<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>	(Child 1)
<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>	(Child 2)
<input type="text"/>	<input type="text"/>	<input type="text"/>	<input type="text"/>	(Child 3)

Buttons:

# Research Overview

- Morphogenesis
  - Lots of plant morphogenesis research: L-systems, etc.
  - Chemical morphogenesis: Mostly chemical reaction/diffusion

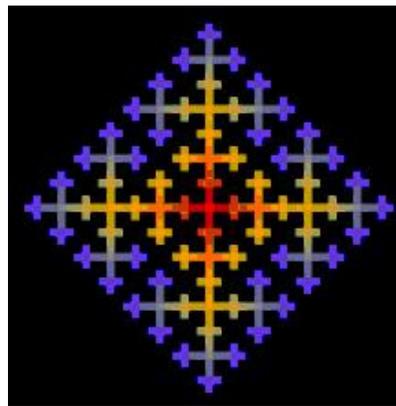


Image source: Fowler, D., and Prusinkiewicz, P. "Maltese Cross." 1993. *Visual Models of Morphogenesis/ Algorithmic Botany* at the University of Calgary. 4/14/05.  
<<http://algorithmicbotany.org/vmm-deluxe/Section-07.html>>.

## Research Overview

- Cellular Automata
  - Begin with grid of cells
  - Usually 1-D, some 2-D
  - Binary/discrete state variables ('on' or 'off')
  - Cells change state based on their current state and state of immediate neighbors
- Our cells:
  - Do not fill grid
  - 3-Dimensional and can grow in any direction
  - Continuous state variables (not discrete)

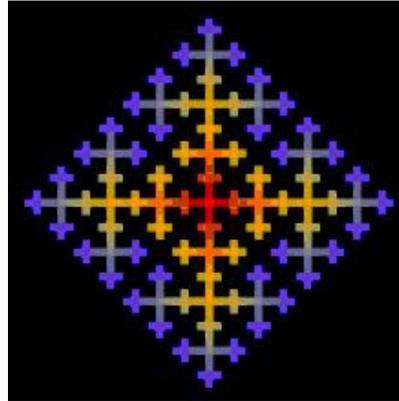
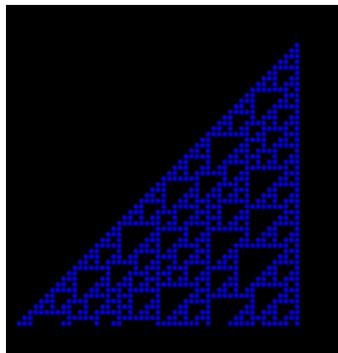


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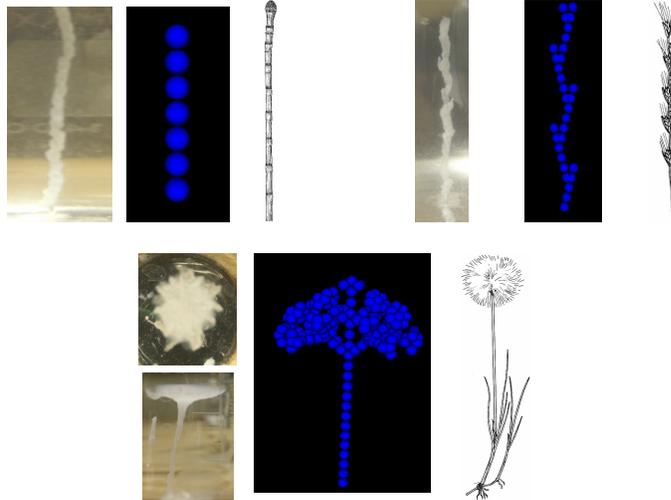
## Cellular Automata

- Our cells are capable of everything a cellular automaton is, and more!

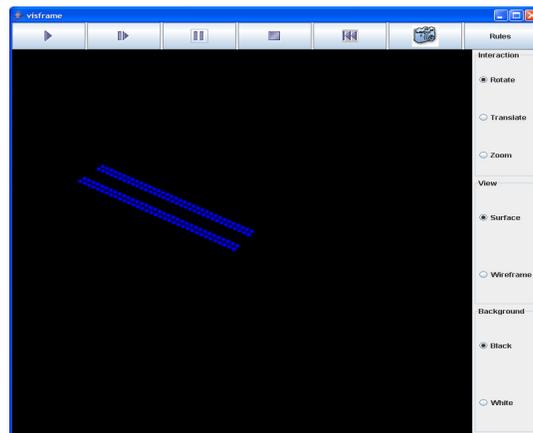


Wolfram's Rule 110

# Context-Free

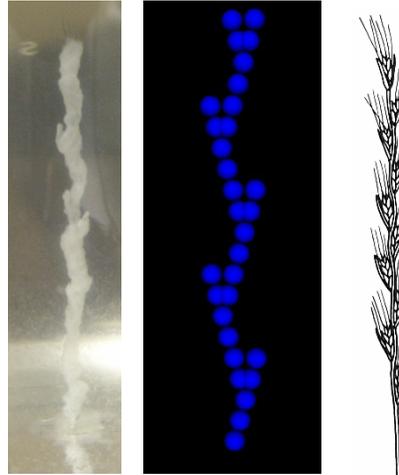


# Context-Sensitive



## Problems/Questions

- Infinite search space for possible rules
  - How to narrow down and find interesting ones?
- Dynamic rule specification
  - Entails specifying, executing a grammar during run-time
- Backward problem
  - For a given macrostructure, how to define a rule set to produce that structure?
- Expand code functionality
  - Budding/Cell Division, Cell Growth/L-Systems, Motility, Pliability



## Future Directions/Answers

- Create a language for specifying rules
- Use genetic algorithms to find interesting rules, and to solve backward problem
- Examine division/budding, motility, cell growth, L-Systems, and pliability separately and in great depth
- Keep trying to reproduce basic biological structures (e.g. developing embryo) in model and in lab

## Conclusion

- This project has widespread implications
  - Biology
  - Chemistry
  - Computer science
  - Complexity
- We've laid the groundwork
- But we've only scratched the surface!